

Parabola:

$$(x - h)^2 = 4p(y - k)$$

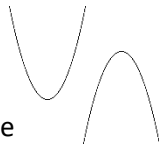
Vertex: (h, k)

Opens up if p is positive

Opens down if p is negative

Focus: $(h, k + p)$

Directrix: $y = k - p$



$$(y - k)^2 = 4p(x - h)$$

Vertex: (h, k)

Opens right if p is positive

Opens left if p is negative

Focus: $(h + p, k)$

Directrix: $x = h - p$



Circle:

$$(x - h)^2 + (y - k)^2 = r^2$$

Center: (h, k)

Radius: r

Ellipse:

$$\frac{(x - h)^2}{a^2} + \frac{(y - k)^2}{b^2} = 1$$

Center: (h, k)

Vertices: $(h - a, k), (h + a, k), (h, k - b), (h, k + b)$

$$c = \sqrt{|a^2 - b^2|}$$

if $a > b$,

foci: $(h - c, k), (h + c, k)$

horizontal major axis with length $2a$, and vertical minor axis with length $2b$



if $a < b$,

foci: $(h, k - c), (h, k + c)$

vertical major axis with length $2b$, and horizontal minor axis with length $2a$



Hyperbola:

Center: (h, k)

$$c = \sqrt{a^2 + b^2}$$

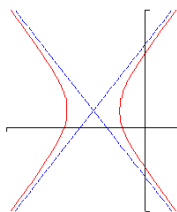
Asymptotes: $y = \frac{b}{a}(x - h) + k$, $y = -\frac{a}{b}(x - h) + k$

If the term with x is positive when equal to 1,

$$\frac{(x - h)^2}{a^2} - \frac{(y - k)^2}{b^2} = 1$$

Vertices: $(h - a, k), (h + a, k)$

Foci: $(h - c, k), (h + c, k)$



If the term with y is positive when equal to 1,

$$-\frac{(x - h)^2}{a^2} + \frac{(y - k)^2}{b^2} = 1$$

Vertices: $(h, k - b), (h, k + b)$

Foci: $(h, k - c), (h, k + c)$

